## Storage and

 IndexingIntroduction to Databases

CompSci 316 Fall 2020

## DUKE

 COMPUTER SCIENCE
## Announcements (Thu. Oct 1)

- Keep working on your project!
- MS-2 due in two weeks (10/15)
- Need to submit a basic working version of your website (all functionalities not needed, but interactions from/to UI and databases should be there)+ other things
- HW-5/Gradiance-3 to be released today
- Due in a week 10/8 (Thu)


## Where are we now?



Covered
To be covered


Beyond Relational Model
XML
NOSQL
JSON/MongoDB

(Basic) Big Data Processing
Map-Reduce
Parallel DBMS

## Why do we draw databases like this?



## Outline

- It's all about disks!
- That's why we always draw databases as
- And why the single most important metric in database processing is (oftentimes) the number of disk I/O's performed


## Storage hierarchy



## How far away is data?

| Location | Cycles |
| :--- | :--- |
| Registers | 1 |
| On-chip cache | 2 |
| On-board cache | 10 |
| Memory | 100 |
| Disk | $10^{6}$ |
| Tape | $10^{9}$ |


| Location | Time |
| :--- | :--- |
| My head | 1 min. |
| This room | 2 min. |
| Duke campus | 10 min. |
| Washingtond.c. <br> 1.5 hr. <br> Pluto | 2 yr. |
| Andromeda | 2000 yr. |

(Source: AlphaSort paper, 1995) The gap has been widening!
(8) I/O dominates-design your algorithms to reduce I/O!

## Latency Numbers Every Programmer Should Know

## Latency Comparison Numbers

| L1 cache reference |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Branch mispredict | 5 | ns |  |  |  |
| L2 cache reference | 7 | ns |  |  | 14x L1 cache |
| Mutex lock/unlock | 25 | ns |  |  |  |
| Main memory reference | 100 | ns |  |  | 20x L2 cache, 200x L1 cache |
| Compress 1 K bytes with zippy | 3,000 | ns | 3 us |  |  |
| Send 1K bytes over 1 Gbps network | 10,000 | ns | 10 us |  |  |
| Read 4K randomly from SSD* | 150,000 | ns | 150 us |  | $\sim 1 \mathrm{~GB} / \mathrm{sec}$ SSD |
| Read 1 MB sequentially from memory | 250,000 | ns | 250 us |  |  |
| Round trip within same datacenter | 500,000 | ns | 500 us |  |  |
| Read 1 MB sequentially from SSD* | 1,000,000 | ns | 1,000 us | 1 ms | $\sim 1 \mathrm{~GB} / \mathrm{sec}$ SSD, 4X memory |
| Disk seek | 10,000,000 | ns | 10,000 us | 10 ms | 20x datacenter roundtrip |
| Read 1 MB sequentially from disk | 20,000,000 | ns | 20,000 us | 20 ms | 80x memory, 20x SSD |
| Send packet CA->Netherlands->CA | 150,000,000 | ns | 150,000 us | 150 ms |  |

Notes
$1 \mathrm{~ns}=10^{\wedge}-9$ seconds
1 us $=10^{\wedge}-6$ seconds $=1,000 \mathrm{~ns}$
$1 \mathrm{~ms}=10^{\wedge}-3$ seconds $=1,000$ us $=1,000,000 \mathrm{~ns}$
Credit

## A typical hard drive



## A typical hard drive



## Top view

"Zoning": more sectors/data on outer tracks


## Disk access time

Sum of:

- Seek time: time for disk heads to move to the correct cylinder
- Rotational delay: time for the desired block to rotate under the disk head
- Transfer time: time to read/write data in the block (= time for disk to rotate over the block)


## Sequential vs. Random disk access

Seek time + rotational delay + transfer time

- Average seek time
- Sequential: 0
- Random: "Typical" value: 5 ms
- Average rotational delay
- Sequential: 0
- Random: "Typical" value: 4.2 ms (7200 RPM)
- Transfer time
- Thee same for sequential and random
- Sequential is an order of magnitude faster!


## Important consequences

- It's all about reducing I/O's!
- Cache blocks from stable storage in memory
- DBMS maintains a memory buffer pool of blocks
- Reads/writes operate on these memory blocks
- Dirty (updated) memory blocks are "flushed" back to stable storage

Picture on board that we will use again and again!

## Performance tricks

- Disk layout strategy
- Keep related things (what are they?) close together: same sector/block $\rightarrow$ same track $\rightarrow$ same cylinder $\rightarrow$ adjacent cylinder
- Prefetching
- While processing the current block in memory, fetch the next block from disk (overlap I/O with processing)
- Parallel I/O
- More disk heads working at the same time
- Disk scheduling algorithm
- Example: "elevator" algorithm
- Track buffer
- Read/write one entire track at a time


## Data layout on disk

## How each component is stored in the parent

Table $\rightarrow$ Pages/Blocks $\rightarrow$ Records/Tuples/Rows $\rightarrow$ Attributes

## Examples:



Fixed-length fields


Variable-length fields (delimiter or offset array)


N-ary storage model/NSM
"Row-major", directory at the end Reorganization needed after updates


## Take-away

- Storage hierarchy
- Why I/O's dominate the cost of database operations
- Disk
- Steps in completing a disk access
- Sequential versus random accesses
- Disk is slower than Main memory = Buffer Pool
- Minimize the number of transfers to/from Disk
- Our unit of cost!
- All computation cost ignored by default


## Index

## Announcements (Tue. Oct 6)

- HW-5 + Gradiance-3 (Constraints/Triggers)
- Due this Friday 10/9
- Keep working on your project!
- MS-2 due next week (10/15)
- Need to submit a basic working version of your website (all functionalities not needed, but interactions from/to UI and databases should be there) + other things
- If you would like to meet me one-one, please email Yesenia and me ASAP
- By tomorrow (Wed 10/7)


## Where are we now?



DBMS Internals and Query Processing


Join algo/Sorting


Covered
To be covered


Beyond Relational Model
XML
NOSQL JSON/MongoDB

(Basic) Big Data Processing
Map-Reduce
Parallel DBMS

Recall the Disk-Main Memory diagram!

## Topics

- Index
- Dense vs. Sparse
- Clustered vs. unclustered
- Primary vs. secondary

- Tree-based vs. Hash-index


## What are indexes for?

- Given a value, locate the record(s) with this value SELECT * FROM $R$ WHERE $A=$ value; SELECT * FROM R, S WHERE R.A = S.B;
- Find data by other search criteria, e.g.
- Range search SELECT * FROM $R$ WHERE A > value;

Focus of this lecture

- Keyword search
database indexing


## Dense and sparse indexes

When are these possible?

- Dense: one index entry for each search key value
- One entry may "point" to multiple records (e.g., two users named Jessica)
- Sparse: one index entry for each block
- Records must be clustered according to the search key



## Dense versus sparse indexes

- Index size
- ??
- Requirement on records
- ??
- Lookup
- ??
- Update
- ??


## Dense versus sparse indexes

- Index size
- Sparse index is smaller
- Requirement on records
- Records must be clustered for sparse index
- Lookup
- Sparse index is smaller and may fit in memory
- Dense index can directly tell if a record exists
- Update
- May be easier for sparse index (less movement for updates)


## Primary and secondary indexes

- Primary index
- Created for the primary key of a table
- Records are usually clustered by the primary key
- Can be sparse
- Secondary index
- Usually dense
- SQL
- PRIMARY KEY declaration automatically creates a primary index, UNIQUE key automatically creates a secondary index
- Additional secondary index can be created on non-key attribute(s):
CREATE INDEX UserPopIndex ON User(pop);


## What if the index is too big as well?



## What if the index is too big as well?



Put a another (sparse) index on top of that!

## ISAM

- What if an index is still too big?
- Put a another (sparse) index on top of that!

ISAM (Index Sequential Access Method), more or less

Example: look up 197


Data blocks

## Updates with ISAM

Example: insert 107
Example: delete 129

100, 108,
119, 121

107 Overflow block
Data blocks

- Overflow chains and empty data blocks degrade performance
- Worst case: most records go into one long chain, so lookups require scanning all data!


## Binary Search Tree

Each node can hold Exactly one entry

Height balanced:
All leaves are at the
Same level
(complete binary tree)

Leaves are sorted

## B-tree: Generalizing Binary Search Trees



Leaves are sorted

## B+-tree: Data only at leaves



## B+-tree: Closer Look

## Max fan-out: 4

- A hierarchy of nodes with intervals
- Balanced (more or less): good performance guarantee
- Disk-based: one node per block; large fan-out



## Sample B+-tree nodes


to records with these $k$ values; or, store records directly in leaves (pros/cons?)

- Questions
- Why do we use $\mathrm{B}^{+}$-tree as database index instead of binary trees?

- Why do we use $\mathrm{B}^{+}$-tree as database index instead of B-trees?
- What are the differences/pros/cons of B-trees vs. B+-tree as index?


## $\mathrm{B}^{+}$-tree versus B -tree

- B-tree: why not store records (or record pointers) in non-leaf nodes?
- These records can be accessed with fewer I/O’s
- Problems?
- Storing more data in a node decreases fan-out and increases $h$
- Records in leaves require more I/O's to access
- Vast majority of the records live in leaves!


## $\mathrm{B}^{+}$-tree balancing properties

- Height constraint: all leaves at the same lowest level
- Fan-out constraint: all nodes at least half full (except root)

|  | Max \# <br> pointers | Max \# <br> keys | Min \# <br> active pointers | Min \# <br> keys |
| :--- | :---: | :--- | :---: | :--- |
| Non-leaf | $f$ | $f-1$ | $\lceil f / 2\rceil$ | $\lceil f / 2\rceil-1$ |
| Root | $f$ | $f-1$ | 2 | 1 |
| Leaf | $f$ | $f-1$ | $\lfloor f / 2\rfloor$ | $\lfloor f / 2\rfloor$ |

## Lookups

- SELECT * FROM $R$ WHERE $k=179$;
-SELECT * FROM $R$ WHERE $k=32$;



## Search key and Data entry

- SELECT * FROM $R$ WHERE $k=179 ;$ - - Search key



## Range query

- SELECT * FROM R WHERE $k>32$ AND $k<179$;



## Insertion

- Insert a record with search key value 32


And insert it right there

## Another insertion example

- Insert a record with search key value 152


What are our options here?

## Node splitting



## More node splitting



- In the worst case, node splitting can "propagate" all the way up to the root of the tree (not illustrated here)
- Splitting the root introduces a new root of fan-out 2 and causes the tree to grow "up" by one level


## Deletion

- Delete a record with search key value 130


Oops, node is too empty!

## Stealing from a sibling



## Another deletion example

- Delete a record with search key value 179


Cannot steal from siblings
Then coalesce (merge) with a sibling!

## Coalescing



- Deletion can "propagate" all the way up to the root of the tree (not illustrated here)
- When the root becomes empty, the tree "shrinks" by one level


## Performance analysis

- How many I/O's are required for each operation?
- $h$, the height of the tree (more or less)
- Plus one or two to manipulate actual records
- Plus $O(h)$ for reorganization (rare if $f$ is large)
- Minus one if we cache the root in memory
- How big is $h$ ?
- Roughly $\log _{\text {fanout }} N$, where $N$ is the number of records
- $\mathrm{B}^{+}$-tree properties guarantee that fan-out is least $f / 2$ for all non-root nodes
- Fan-out is typically large (in hundreds)-many keys and pointers can fit into one block
- A 4-level $\mathrm{B}^{+}$-tree is enough for "typical" tables


## $\mathrm{B}^{+}$-tree in practice

- Complex reorganization for deletion often is not implemented (e.g., Oracle)
- Leave nodes less than half full and periodically reorganize
- Most commercial DBMS use $\mathrm{B}^{+}$-tree instead of hashing-based indexes because $\mathrm{B}^{+}$-tree handles range queries
- A key difference between hash and tree indexes!


## The Halloween Problem

- Story from the early days of System R...

UPDATE Payroll
SET salary = salary * 1.1
WHERE salary <= 25000;

- There is a $\mathrm{B}^{+}$-tree index on Payroll(salary)
- All employees end up earning >= 25000 (why?)
- Solutions?
- Scan index in reverse, or
- Before update, scan index to create a "to-do" list, or
- During update, maintain a "done" list, or
- Tag every row with transaction/statement id


## Clustered vs. Unclustered Index

- If order of data records in a file is the same as, or `close to', order of data entries in an index, then clustered, otherwise unclustered
- How does it affect \# of page accesses? (in class)



## Data is sorted on search key Data can be anywhere Clustered vs. Unclustered Index

- How does it affect \# of page accesses?
- Recall disk-memory diagram!
- SELECT * FROM USER WHERE age = 50
- Assume 12 users with age = 50
- Assume one data page can hold 4 User tuples
- Suppose searching for a data entry requires 3 IOs in a

B+-tree, which contain pointers to the data records (assume all matching pointers are in the same node of $B+-t r e e)$

- What happens if the index is unclustered?
- What happens if the index is clustered?


## Beyond ISAM, B-trees, and $\mathrm{B}^{+}$-trees

- Other tree-based indexes: R-trees and variants, GiST, etc.
- Hashing-based indexes: extensible hashing, linear hashing, etc.
- Text indexes: inverted-list index, suffix arrays, etc.
- Other tricks: bitmap index, bit-sliced index, etc.


## Hash vs. Tree Index

- Hash indexes can only handle equality queries
- SELECT * FROM R WHERE age = 5 (requires hash index on (age))
- SELECT * FROM R, S WHERE R.A = S.A (requires hash index on R.A or S.A)
- SELECT * FROM R WHERE age = 5 and name = 'Bart' (requires hash index on (age, name))
- (-) Cannot handle range queries or prefixes
- SELECT * FROM R WHERE age >= 5
- need to use tree indexes (more common)
- Tree index on (age), or (age, name) works, but not (name, age) - why?
- (+) Hash-indexes are more amenable to parallel processing
- Will learn more in hash-based join
- Performance depends on how good the hash function is (whether the hash function distributes data uniformly and whether data has skew)


## Trade-offs for Indexes

- Should we use as many indexes as possible?


## Trade-offs for Indexes

- Should we use as many indexes as possible?
- Indexes can make
- queries go faster
- updates slower
- Require disk space, too


## Index-Only Plans

- A number of queries can be answered without retrieving any tuples from one or more of the relations involved if a suitable index is available

SELECT E.dno, COUNT(*) FROM Emp E
GROUP BY E.dno

```
SELECT E.dno,MIN(E.sal)
FROM Emp E
GROUP BY E.dno
```

<E.dno,E.sal> Tree index!
<E.dno>

> <E.age,E.sal>

Tree index! SELECT AVG(E.sal)

- If you have an index on E.dno in the above query, no need to access data
- For index-only strategies, clustering is not important

FROM Emp E
WHERE E.age=25 AND
E.sal BETWEEN 3000 AND 5000

