CPS 270 Alternative Search Techniques

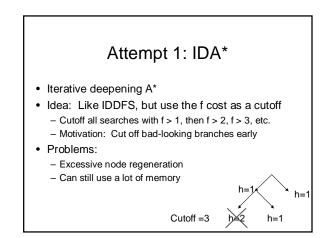
Ron Parr

Overview

- Memory-bounded Search
- Local Search
- Searching with Incomplete Information

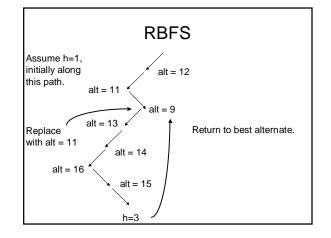
Memory-bounded Search: Why?

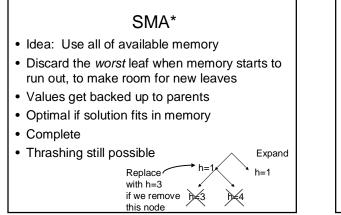
- We run out of memory before we run out of time.
- Problem: Need to remember entire search horizon
- Solution: Remember only a partial search horizon
- Issue: Maintaining optimality, completeness
- Issue: How to minimize time penalty

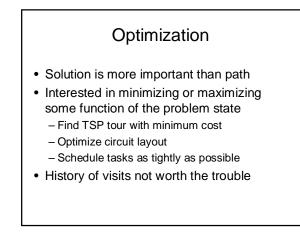


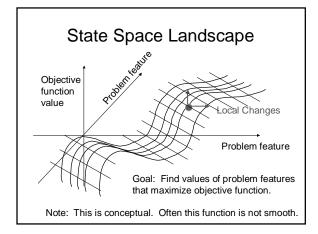
Attempt 2: RBFS

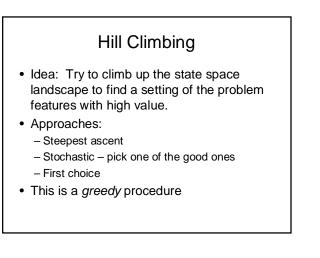
- · Recursive best first search
- Objective: Linear space
- Idea: Remember best alternative
- Rewind, try alternatives if "best first" path gets too expensive
- · Remember costs on the way back up

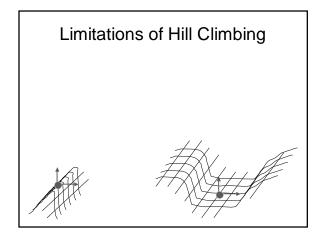


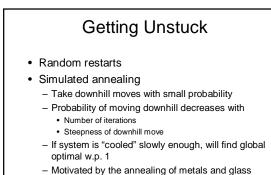












settle into low energy configuration

Genetic Algorithms

- · GAs are hot in some circles
- · Biological metaphors to motivate search
- Organism is a word from a finite alphabet (organisms = states)
- Fitness of organism measures its performance on task (fitness = objective)
- Uses multiple organisms (parallel search)
- Uses mutation (random steps)

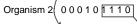
Crossover

Crossover is a distinguishing feature of GAs:

Randomly select organisms for "reproduction" in accordance with their fitness. More "fit" individuals are more likely to reproduce.

Reproduction involves crossover:

Organism 1: 1 1 0 0 1 0 0 1 0



Offspring: 110011110

Is this a good idea?

- · Has worked well in some examples
- Can be very brittle
 - Representations must be carefully engineered
 - Sensitive to mutation rate
 - Sensitive to details of crossover mechanism
- For the same amount of work stochastic variants of hill climbing often do better
- Hard to analyze; needs more rigorous study

Continuous Spaces • In continuous spaces, we don't need to "probe" to find the values of local changes • If we have a closed-form expression for our objective function, we can use the calculus • Suppose objective function is: $f(x_1, y_1, x_2, y_2, x_3, y_3)$ • Gradient tells us direction and steepness of change $\nabla f = (\frac{\partial f}{\partial x_1}, \frac{\partial f}{\partial y_1}, \frac{\partial f}{\partial x_2}, \frac{\partial f}{\partial y_2}, \frac{\partial f}{\partial x_3}, \frac{\partial f}{\partial y_3})$

Following the Gradient $\mathbf{x} = (x_1, y_1, x_2, y_2, x_3, y_3)$ $\mathbf{x} \leftarrow \mathbf{x} + \alpha \nabla f(\mathbf{x})$ For sufficiently small step sizes, this will converge to a region around a local optimum. If gradient is hard to compute: • Compute empirical gradient

Compare with classical hill climbing

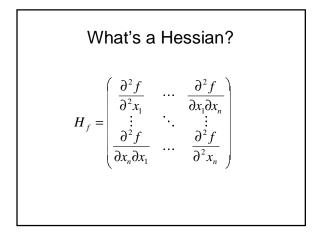
Accelerating Gradient Ascent

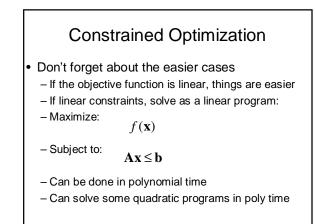
- Many methods for choosing step size
- Newton Raphson method for finding roots:

 $x \leftarrow x - g(x) / g'(x)$

• Application to gradient ascent:

$$\mathbf{x} \leftarrow \mathbf{x} - \nabla f(\mathbf{x}) H_f^{-1}(\mathbf{x})$$

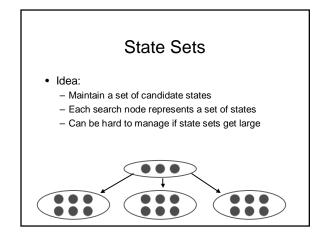




Searching with Partial Information Multiple state problems Several possible initial states Contingency problems Several possible outcomes for each action Exploration problems Outcomes of actions not known a priori, must be discovered by trying them

Example

- In some situations, initial state may not be detectable
 - Suppose sensors for a nuclear reactor fail
 - Need safe shutdown sequence despite ignorance of some aspects of state
- This complicates search enormously
- In the worst case, contingent solution could cover the entire state space



Searching in Unknown Environments

- What if we don't know the consequences of actions before we try them?
- Often called on-line search
- · Goal: Minimize competitive ratio
 - Actual distance/distance traveled if model known
 - Problematic if actions are irreversible
 - Problematic if links can have unbounded cost

Conclusions

- There are search algorithms for almost every situation
- Many problems can be formulated as search
- While search is a very general method, it can sometimes outperform special-purpose methods