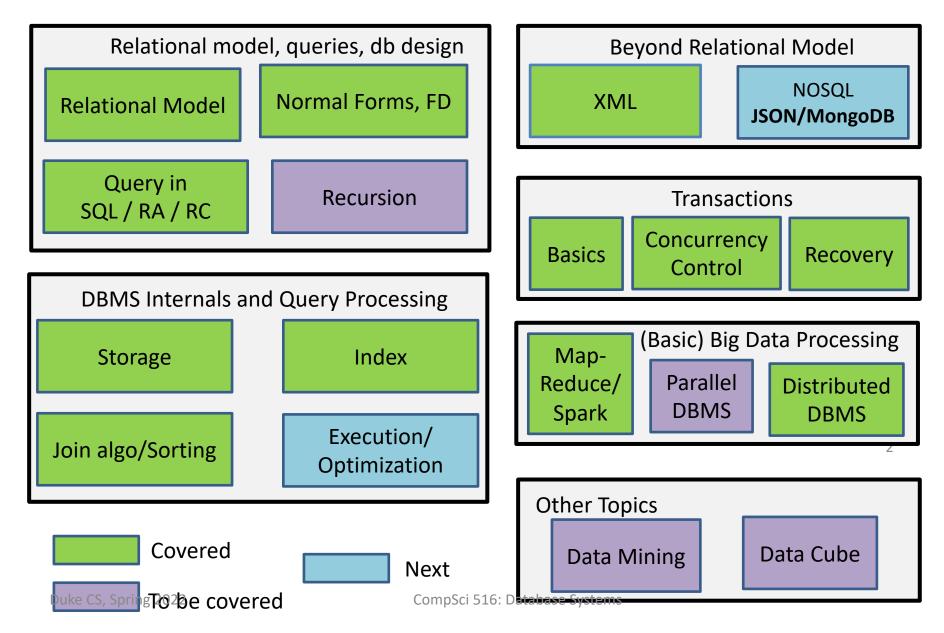
#### CompSci 516 Database Systems

# Lecture 22 Query Optimization

#### Instructor: Sudeepa Roy

#### Where are we now?



# Announcements (Tues, 03/29)

• HW3 due 4/5 (Tues) noon

- Let us know if you need someone to work with

- More frequent check in for all teams by mentors
- Project report deadline 04/13

# **Reading Material**

#### • [RG]

- Query optimization: Chapter 15 (overview only)
- [GUW]
  - Chapter 16.2-16.7
- Original paper by Selinger et al. :
  - P. Selinger, M. Astrahan, D. Chamberlin, R. Lorie, and T. Price. Access Path Selection in a Relational Database Management System

Proceedings of ACM SIGMOD, 1979. Pages 22-34

- No need to understand the whole paper, but take a look at the example (link on the course webpage)

#### Acknowledgement:

- The following slides have been created adapting the instructor material of the [RG] book provided by the authors Dr. Ramakrishnan and Dr. Gehrke.
- Some of the following slides have been created by adapting slides by Profs. Shivnath Babu and Magda Balazinska

#### **Query Blocks: Units of Optimization**

- Query Block
  - No nesting
  - One SELECT, one FROM
  - At most one WHERE, GROUP BY, HAVING
- SQL query
- => parsed into a collection of query blocks
- => the blocks are optimized one block at a time
- Express single-block it as a relational algebra (RA) expression

SELECT S.sname FROM Sailors S WHERE S.age IN (SELECT MAX (S2.age) FROM Sailors S2 GROUP BY S2.rating)

Outer block

Nested block

### **Cost Estimation**

- For each plan considered, must estimate cost:
- Must estimate cost of each operation in plan tree.
  - Depends on input cardinalities
  - We've discussed how to estimate the cost of operations (sequential scan, index scan, joins, etc.)
- Must also estimate size of result for each operation in tree
  - gives input cardinality of next operators
- Also consider
  - whether the output is sorted
  - intermediate results written to disk

### **Relational Algebra Equivalences**

• Allow us to choose different join orders and to `push' selections and projections ahead of joins.

Selections: 
$$\sigma_{c1 \land \dots \land cn}(R) \equiv \sigma_{c1}(\dots \sigma_{cn}(R))$$
 (Cascade)  
 $\sigma_{c1}(\sigma_{c2}(R)) \equiv \sigma_{c2}(\sigma_{c1}(R))$  (Commute)
Solution:  $\pi_{a1}(R) \equiv \pi_{a1}(\dots(\pi_{an}(R)))$  (Cascade)
Joins:  $R \bowtie (S \bowtie T) \equiv (R \bowtie S) \bowtie T$  (Associative)

$$(R \bowtie S) \equiv (S \bowtie R) \qquad (Commute)$$

There are many more intuitive equivalences, see 15.3.4 for details if interested

### Notation

- T(R) : Number of tuples in R
- B(R) : Number of blocks (pages) in R
- V(R, A) : Number of distinct values of attribute A in R

# **Query Optimization Problem**

Pick the best plan from the space of physical plans

# **Cost-based** Query Optimization

Pick the plan with least cost

Challenge:

- Do not want to execute more than one plans
- Need to estimate the cost without executing the plan!

"heuristic-based" optimizer (e.g. push selections down) have limited power and not used much

# **Cost-based Query Optimization**

#### Pick the plan with least cost

Tasks:

1. Estimate the cost of individual operators

done

- 2. Estimate the size of output of individual operators today
- 3. Combine costs of different operators in a plan

today

4. Efficiently search the space of plans today

Task 1 and 2 Estimating cost and size of different operators

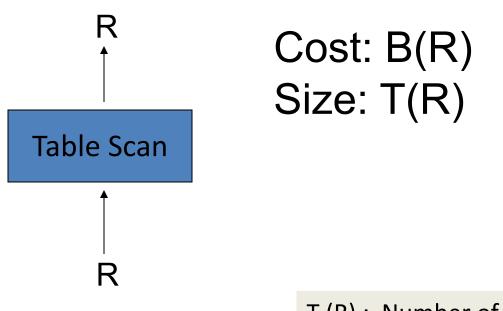
- Size = #tuples, NOT #pages
- Cost = #page I/O
  - need to consider whether the intermediate relation fits in memory, is written back to/read from disk (or on-the-fly goes to the next operator), etc.

#### Desired Properties of Estimating Sizes of Intermediate Relations

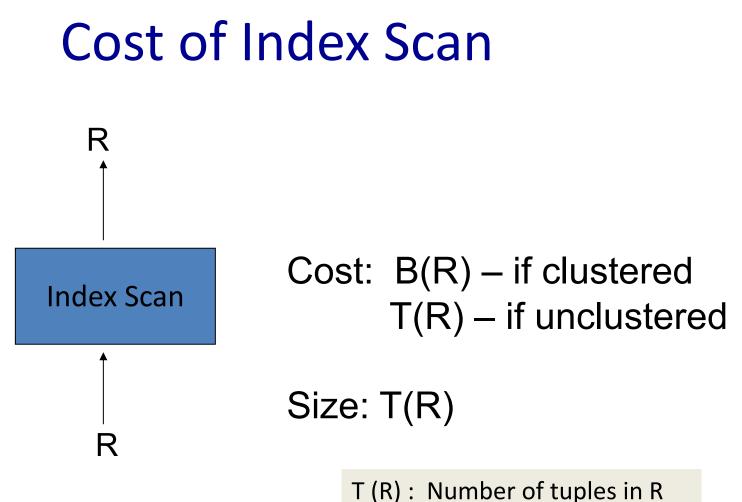
Ideally,

- should give accurate estimates (as much as possible)
- should be easy to compute
- should be logically consistent
  - size estimate should be independent of how the relation is computed (e.g. which join algorithm/join order is used)
- But, no "universally agreed upon" ways to meet these goals

#### **Cost of Table Scan**



T (R) : Number of tuples in R B (R) : Number of blocks in R



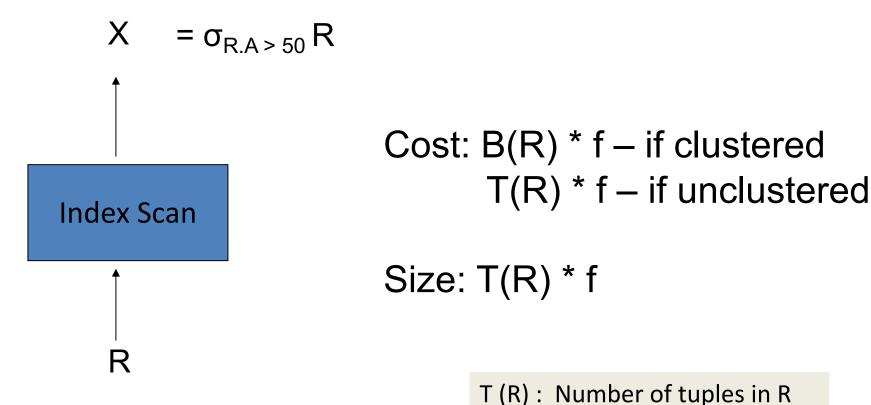
B (R) : Number of blocks in R

Note:

- 1. size is independent of the implementation of the scan/index
- 2. Index scan is bad if unclustered

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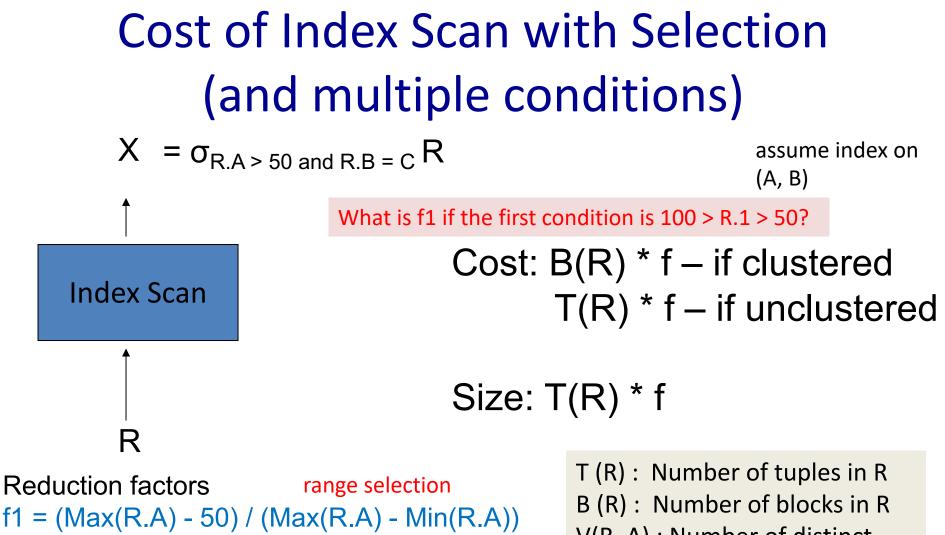
#### **Cost of Index Scan with Selection**



B (R) : Number of blocks in R

Reduction factor f = (Max(R.A) - 50) / (Max(R.A) - Min(R.A))assumes uniform distribution

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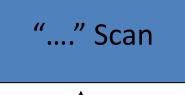
 $f_2 = 1/V(R, B)$  value selection

V(R, A) : Number of distinct values of attribute A in R

f = f1 \* f2 (assumes independence and uniform distribution)

### **Cost of Projection**

$$X = \pi_A R$$



# Cost: depends on the method of scanning R

B(R) for table scan or clustered index scan

#### Size: T(R)

But tuples are smaller If you have more information on the size of the smaller tuples, can estimate #I/O better

#### Size of Join Quite tricky • If disjoint A and B values • then 0

- If A is key of R and B is foreign key of S
  - then T(S)
- If all tuples have the same value of R.A= S.B = x
  - then T(R) \* T(S)

T (R) : Number of tuples in R B (R) : Number of blocks in R V(R, A) : Number of distinct values of attribute A in R

S

R.A = S.B

R

T (R) : Number of tuples in R B (R) : Number of blocks in R V(R, A) : Number of distinct values of attribute A in R

# Size of Join

#### Two standard assumptions

- 1. Containment of value sets:
  - if V(R, A) <= V(S, B), then all A-values of R are included in B-values of S
  - e.g. satisfied when A is foreign key, B is key

#### Preservation of value sets:

2.

S

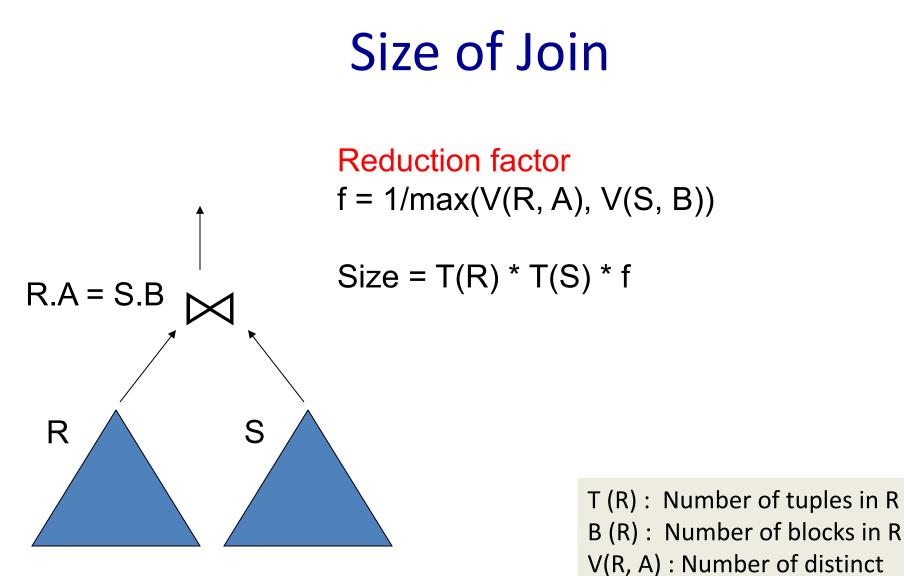
- For all "non-joining" attributes, the set of distinct values is preserved in join
  - $V(R \bowtie S, C) = V(R, C)$ , where  $C \neq A$  is an attribute in R

 $V(R \bowtie S, D) = V(S, D)$ , where  $D \neq B$  is an attribute in S

- Helps estimate distinct set size in R  $\bowtie$  S  $\bowtie$  T

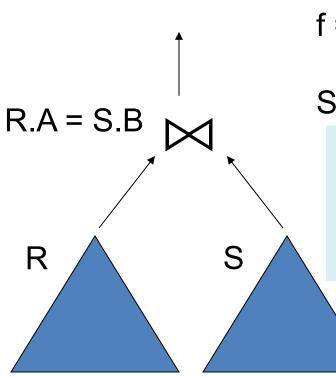
R.A = S.B

R



# Size of Join

Assumes index on both A and B if one index: 1/V(..., ...) if no index: say 1/10



Reduction factor f = 1/max(V(R, A), V(S, B))

Size = T(R) \* T(S) \* f

Why max?

- Suppose V(R, A) <= V(S, B)</li>
- The probability of a A-value joining with a B-value is
   1/V(S.B) = reduction factor
- Under the two assumptions stated earlier + uniformity

T (R) : Number of tuples in R B (R) : Number of blocks in R V(R, A) : Number of distinct values of attribute A in R

# Task 3: Combine cost of different operators in a plan With Examples

# "Given" the physical plan

- Size = #tuples, NOT #pages
- Cost = #page I/O
- but, need to consider whether the intermediate relation fits in memory, is written back to disk (or on-the-fly goes to the next operator) etc.

### **Example Query**

Student (<u>sid</u>, name, age, address) Book(<u>bid</u>, title, author) Checkout(<u>sid</u>, <u>bid</u>, date)

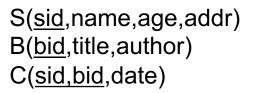
Query: SELECT S.name FROM Student S, Book B, Checkout C WHERE S.sid = C.sid AND B.bid = C.bid AND B.author = 'Olden Fames' AND S.age > 12 AND S.age < 20

S(<u>sid</u>,name,age,addr) B(<u>bid</u>,title,author) C(<u>sid,bid</u>,date)

# Assumptions

- Student: S, Book: B, Checkout: C On disk initially
- Sid, bid foreign key in C referencing S and B resp.
- There are 10,000 Student records stored on 1,000 pages.
- There are 50,000 Book records stored on 5,000 pages.
- There are 300,000 Checkout records stored on 15,000 pages.
- There are 500 different authors.
- Student ages range from 7 to 24.

Warning: a few dense slides next 😳

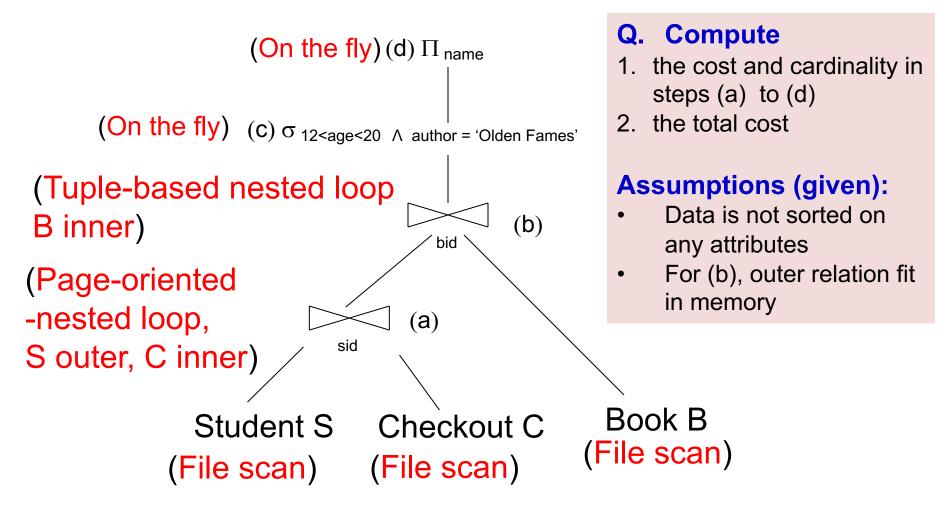


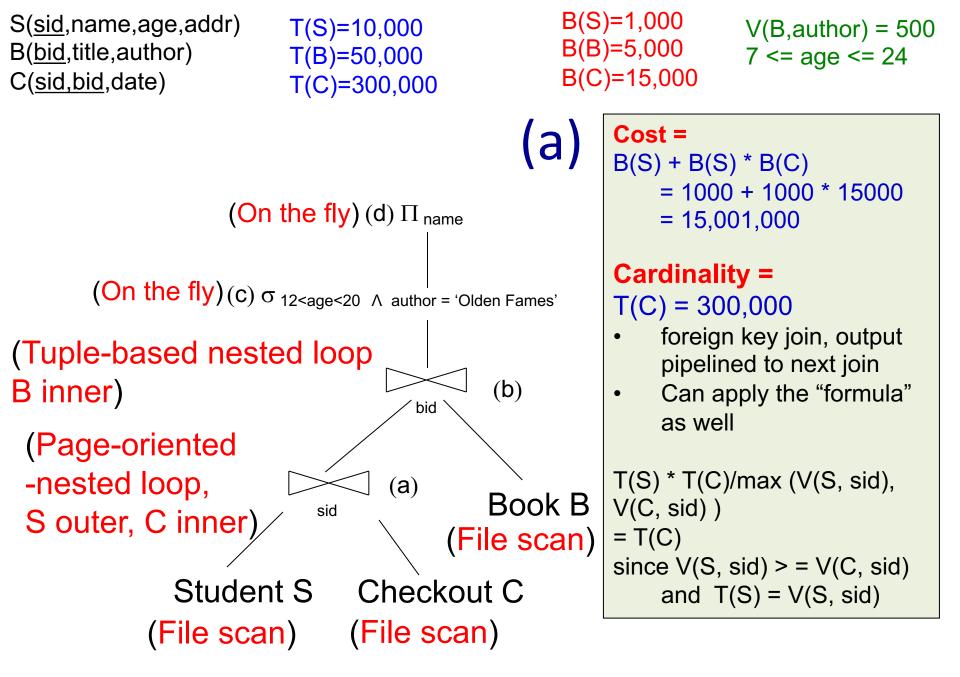
#### T(S)=10,000 T(B)=50,000 T(C)=300,000

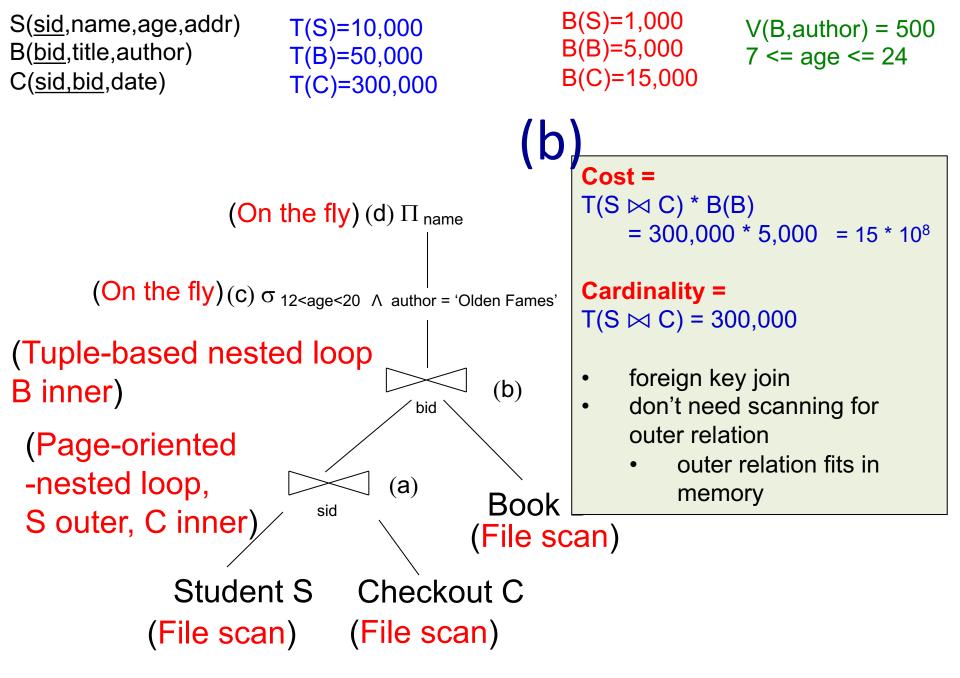
B(S)=1,000 B(B)=5,000 B(C)=15,000

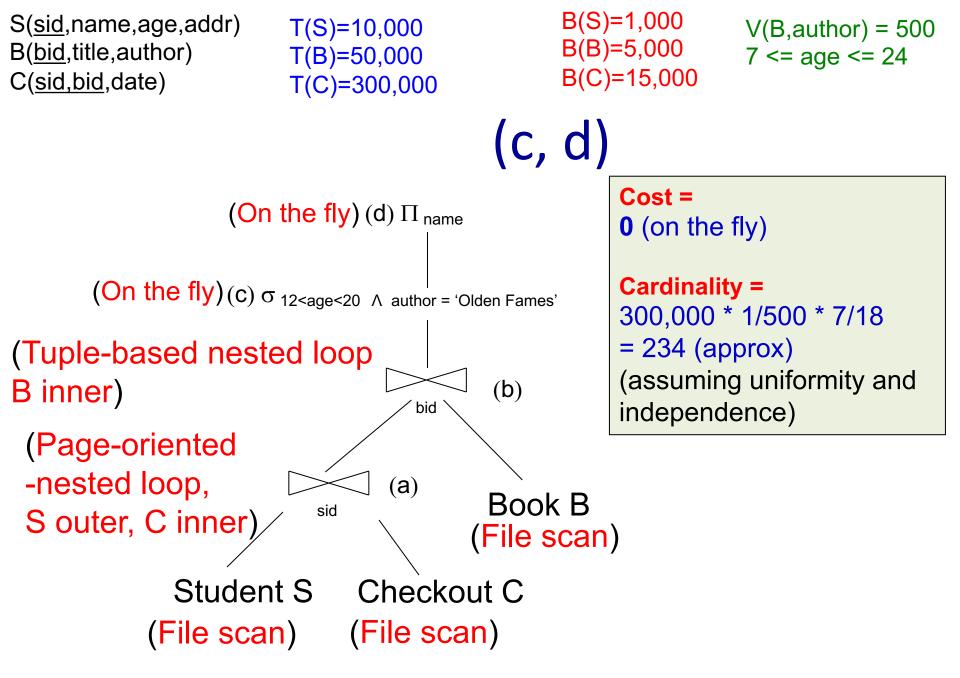
V(B,author) = 500 7 <= age <= 24

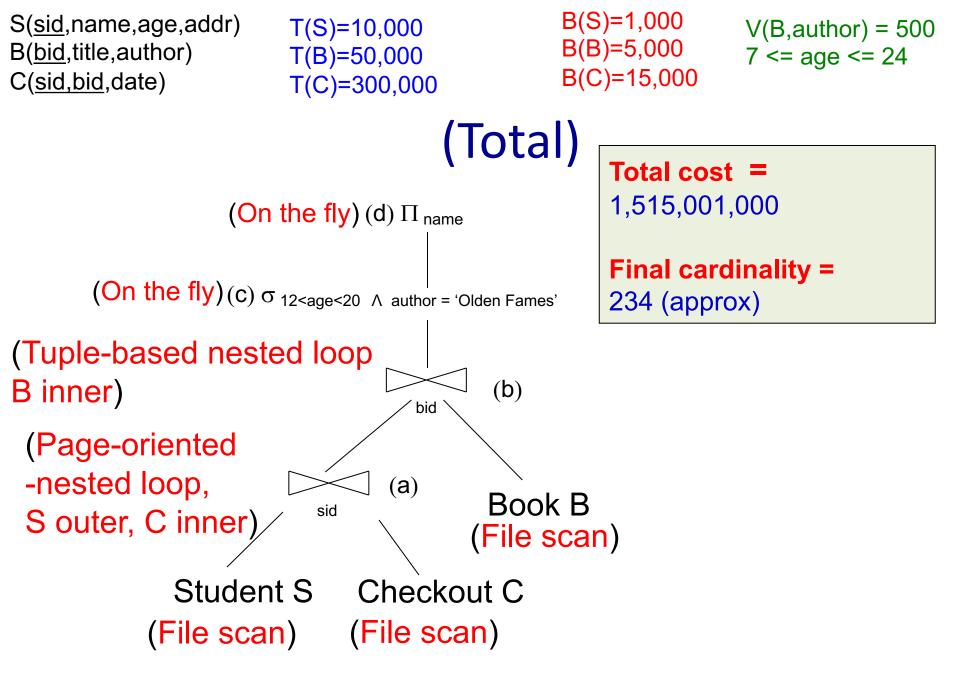
# Physical Query Plan – 1

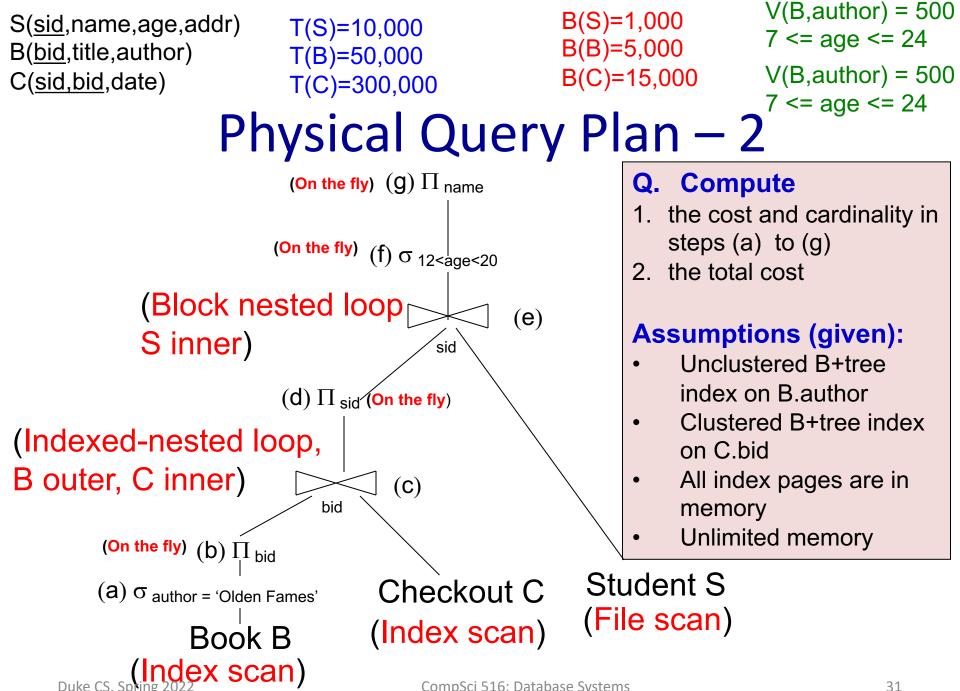


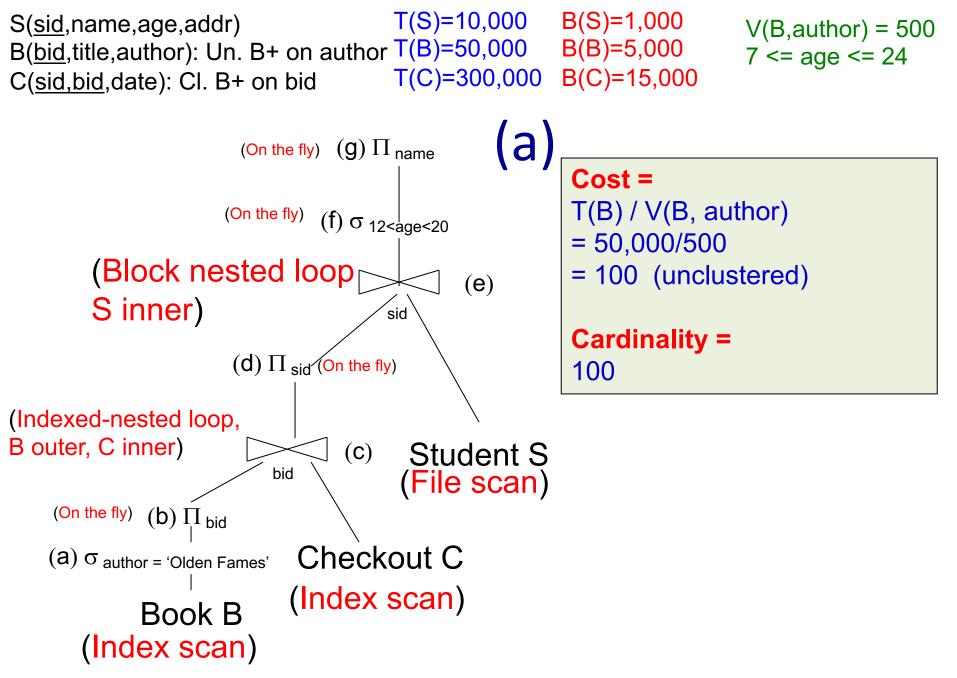




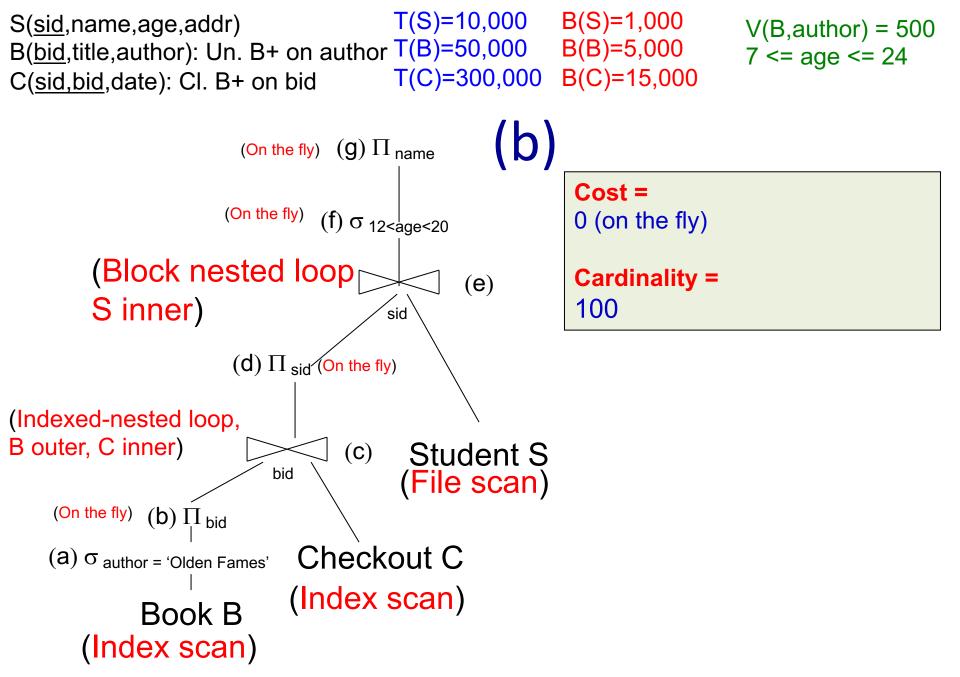








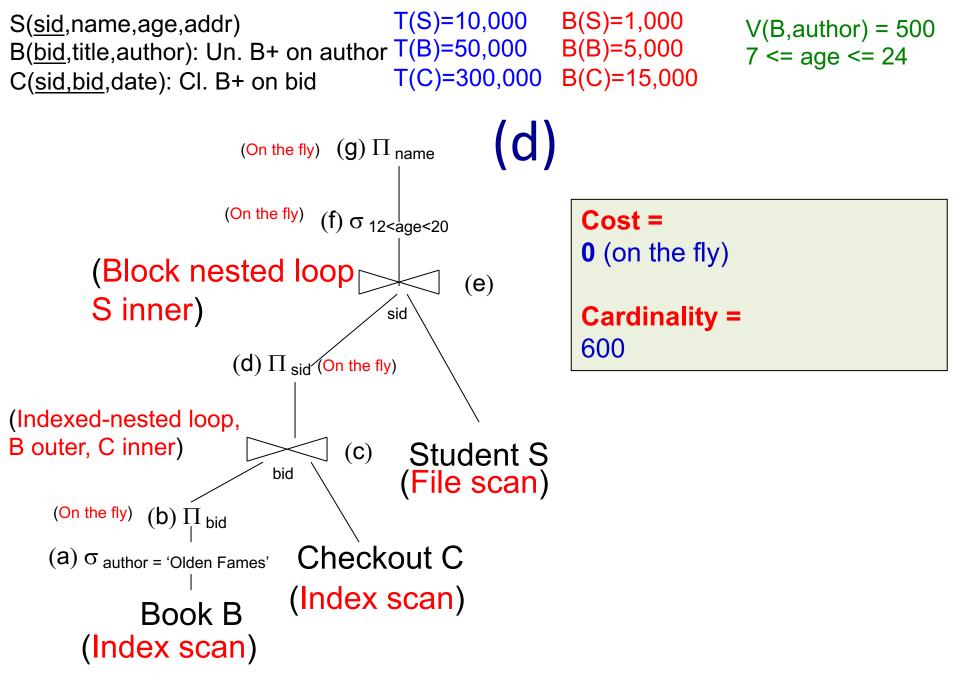
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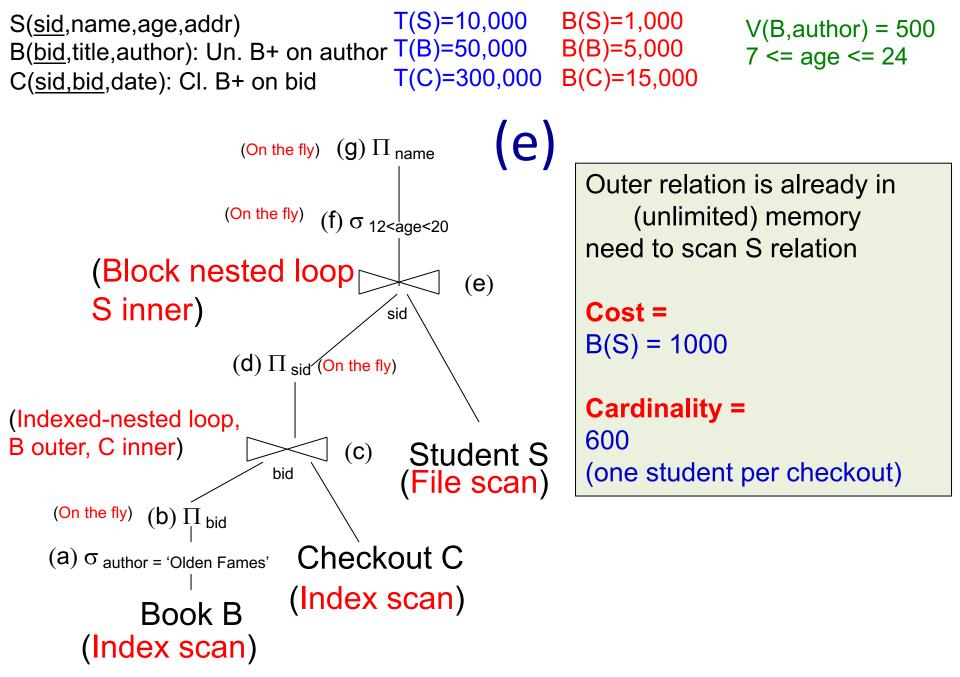
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T(S)=10,000 B(S)=1,000S(sid,name,age,addr) V(B,author) = 500B(<u>bid</u>,title,author): Un. B+ on author T(B)=50,000 B(B)=5,000 7 <= age <= 24 T(C)=300,000 B(C)=15,000 C(sid,bid,date): Cl. B+ on bid one index lookup per outer B С (On the fly) (g)  $\Pi_{name}$ tuple 1 book has T(C)/T(B) = 6(On the fly) checkouts (uniformity) (†)  $\sigma_{12 < age < 20}$ # C tuples per page = (Block nested loop T(C)/B(C) = 20(e) 6 tuples fit in at most 2 S inner) sid consecutive pages (clustered) could assume 1 page as well (d)  $\prod_{\text{sid}}$  (On the fly) Cost <= 100 \* 2= 200 (Indexed-nested loop, B outer, C inner) (C) Student S bid Cardinality = (File scan) 100 \* 6 = 600(On the fly) (b)  $\prod_{bid}$ Checkout C (a)  $\sigma_{\text{author}}$  = 'Olden Fames' (Index scan) Book B (Index scan)

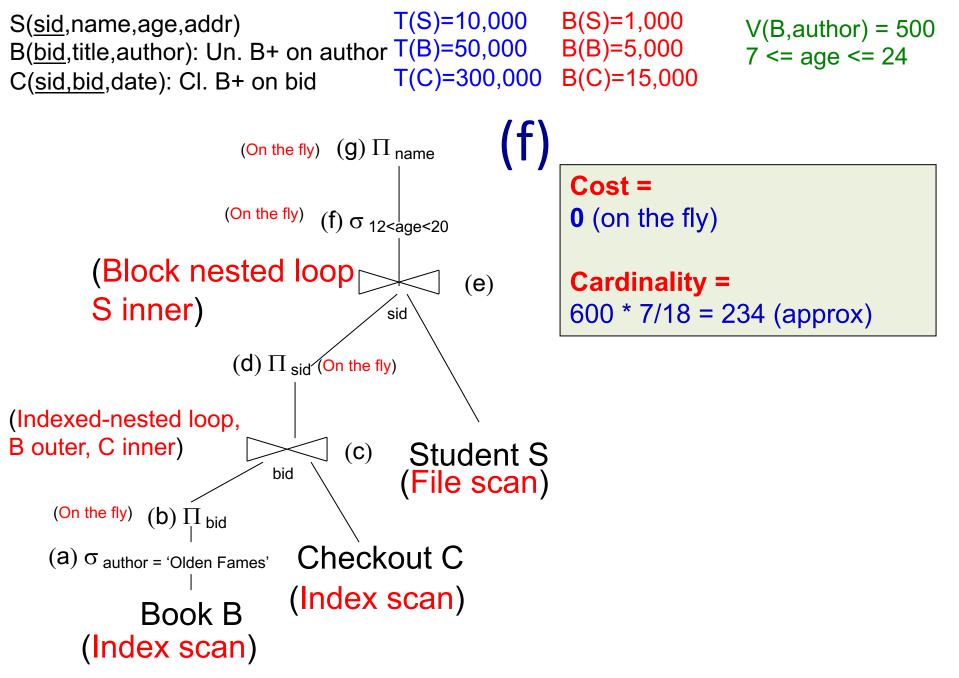
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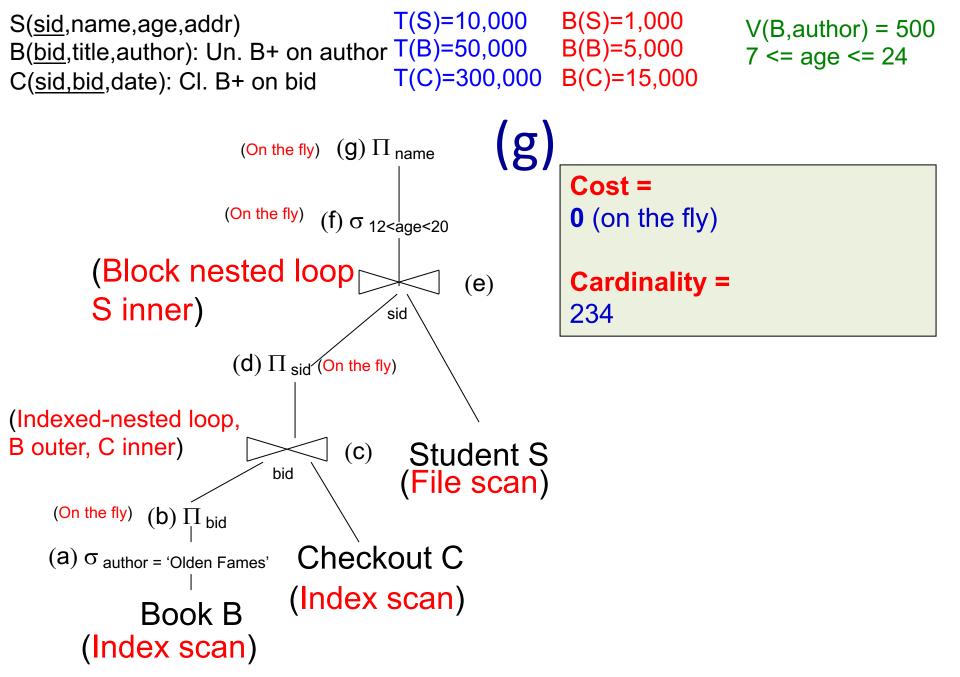


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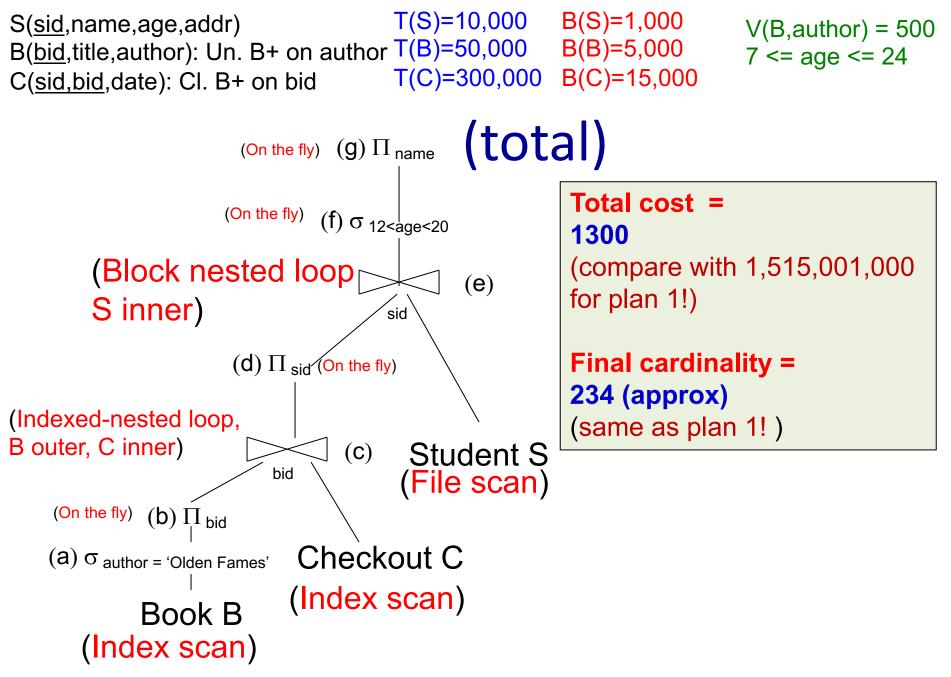


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### Task 4: Efficiently searching the plan space

Use dynamic-programming based Selinger's algorithm!

#### Heuristics for pruning plan space

- Apply predicates as early as possible
- Avoid plans with cross products
- Consider only left-deep join trees

#### Join Trees Query: $R1 \bowtie R2 \bowtie R3 \bowtie R4 \bowtie$ R5 left-deep join tree bushy join tree Why? R5R1R4R4R1 R5R2R3**R**2 R3

(logical plan space)

- Several possible structure of the trees
- Each tree can have n! permutations of relations on leaves

#### (physical plan space)

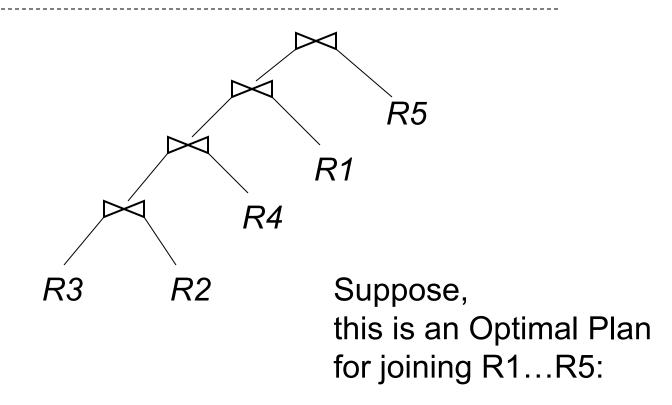
• Different implementation and scanning of intermediate operators for each logical plan

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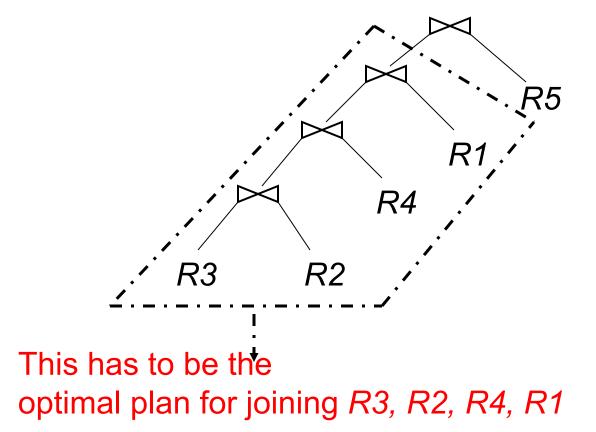
- Dynamic Programming based
- Dynamic Programming:
  - General algorithmic paradigm
  - Exploits "principle of optimality"
    - Useful reading: Chapter 16, Introduction to Algorithms, Cormen, Leiserson, Rivest
- Considers the search space of left-deep join trees
  - reduces search space (only one structure)
  - but still n! permutations
  - interacts well with join algos (esp. NLJ)
  - e.g., might not need to write tuples to disk if enough memory

# Optimal for "whole" made up from optimal for "parts"

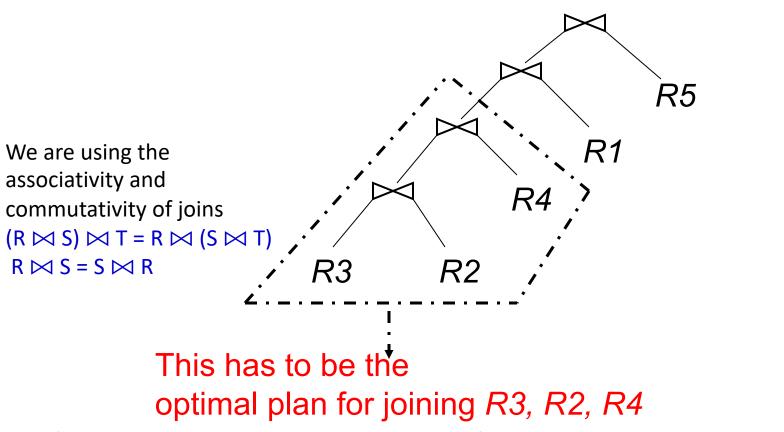
#### Query: $R1 \bowtie R2 \bowtie R3 \bowtie R4 \bowtie R5$



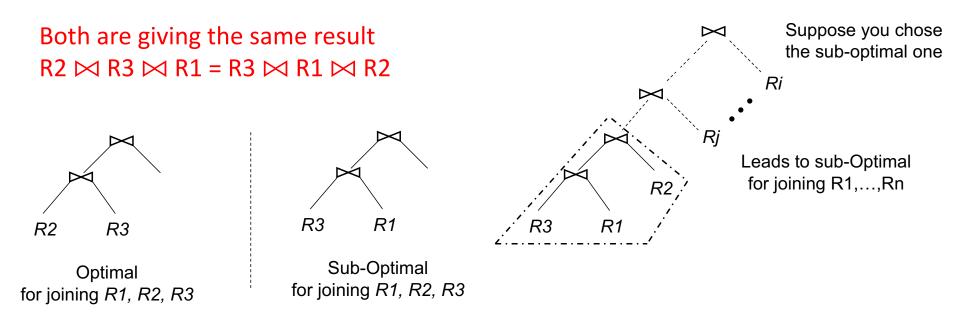
#### Query: $R1 \bowtie R2 \bowtie R3 \bowtie R4 \bowtie R5$



#### Query: $R1 \bowtie R2 \bowtie R3 \bowtie R4 \bowtie R5$



# **Exploiting Principle of Optimality**



#### Notation

# OPT ( { *R1, R2, R3* } ): Cost of optimal plan to join *R1,R2,R3*

#### T ( { *R1, R2, R3* } ):

Number of tuples in  $R1 \bowtie R2 \bowtie R3$ 

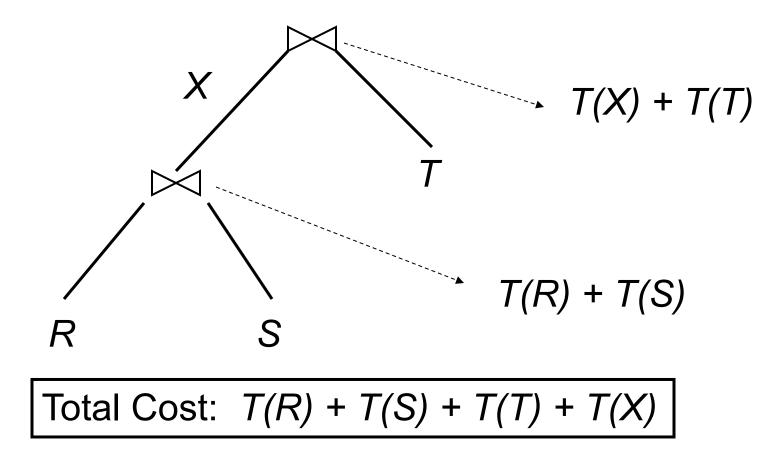
### Simple Cost Model

#### Cost (R $\bowtie$ S) = T(R) + T(S)

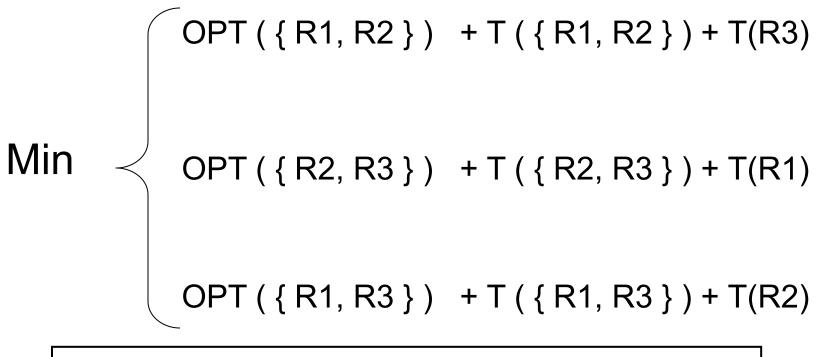
All other operators have 0 cost

# Note: The simple cost model used for illustration only, it is not used in practice

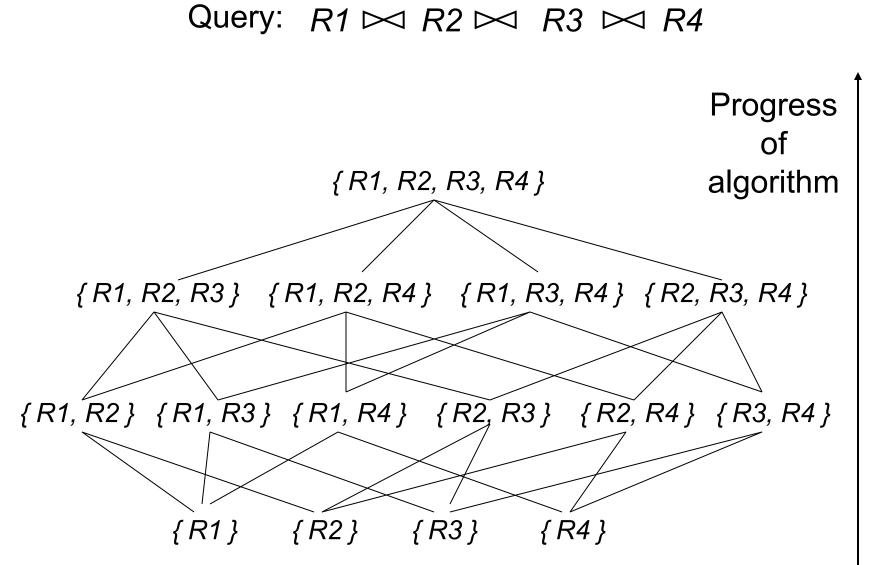
#### **Cost Model Example**

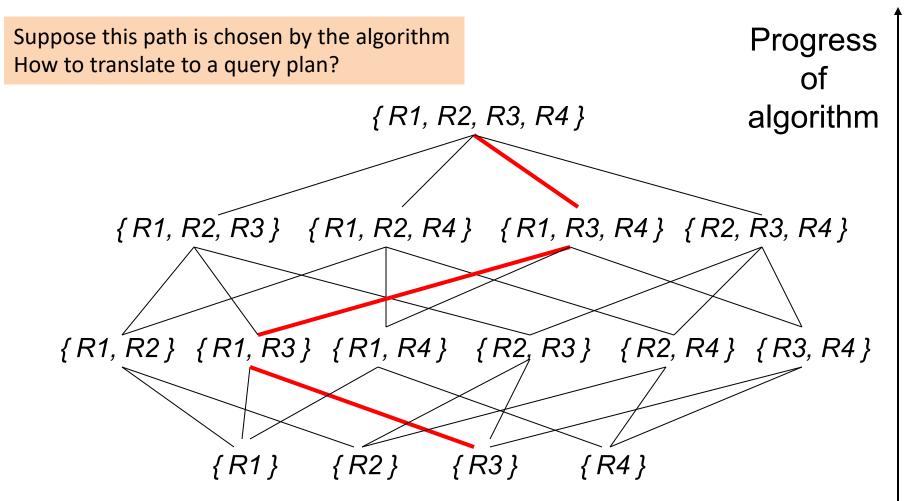


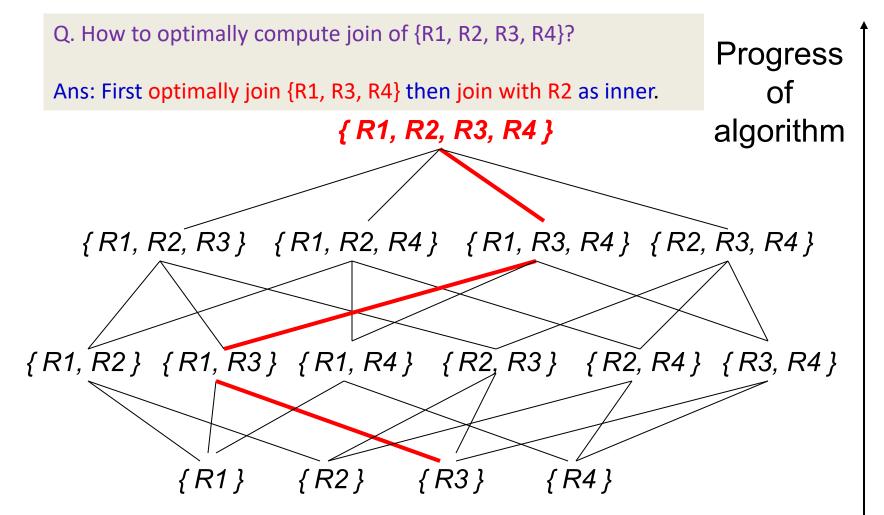
#### OPT ( { R1, R2, R3 } ):

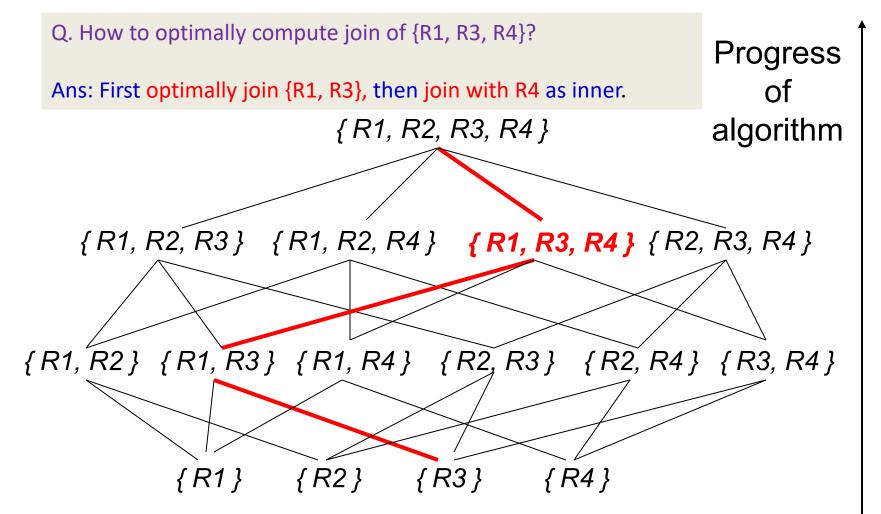


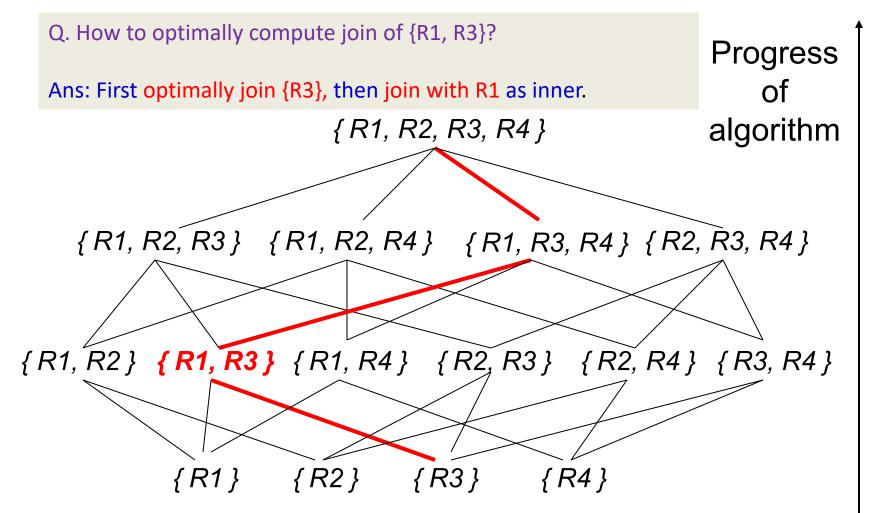
Note: Valid only for the simple cost model

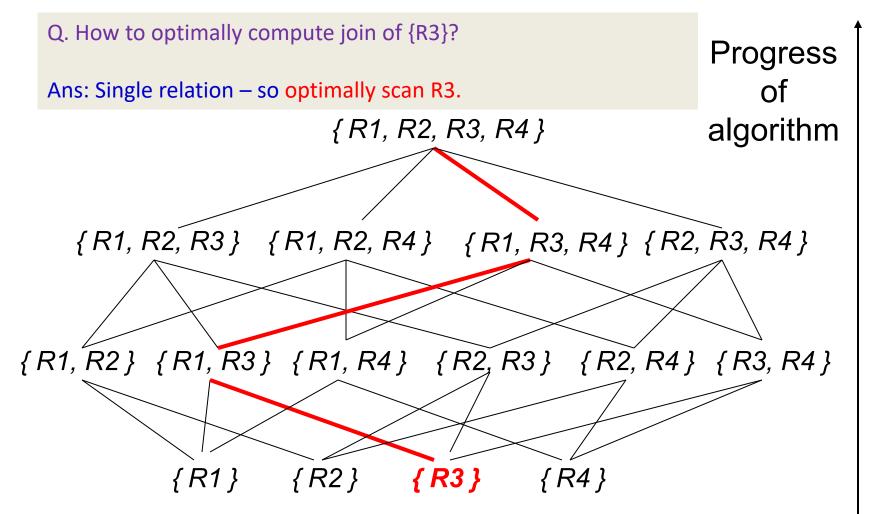


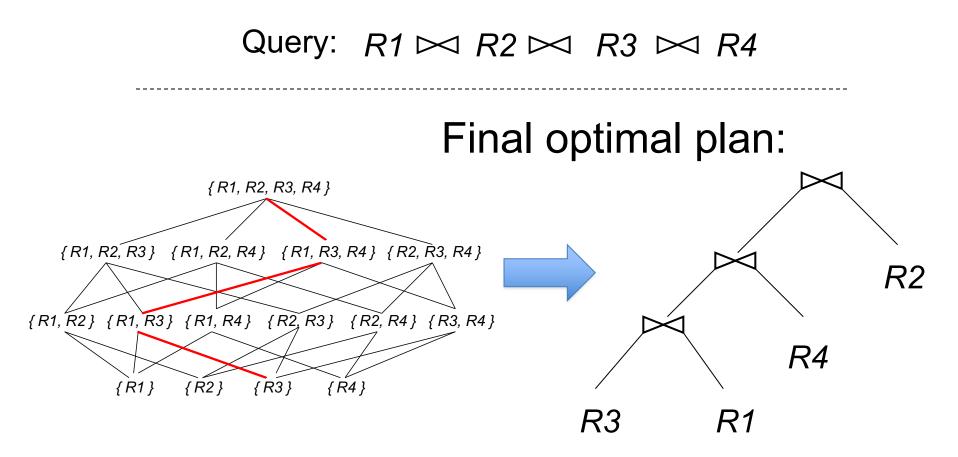






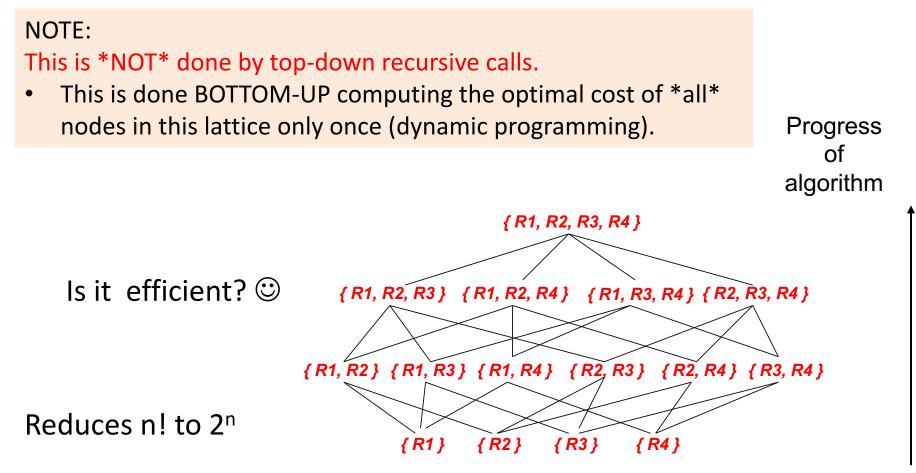






NOTE : There is a one-one correspondence between the permutation (R3, R1, R4, R2) and the above left deep plan

#### Query: $R1 \bowtie R2 \bowtie R3 \bowtie R4$



Other optimizations employed too..

# More on Query Optimizations

#### • See the survey:

"An Overview of Query Optimization in Relational Systems" by Surajit Chaudhuri (<u>link</u>)

- Pushing group by before joins
- Merging views and nested queries
- "Semi-join"-like techniques for multi-block queries
  - Recall joins in distributed databases
- Statistics and optimizations
- Starbust and Volcano/Cascade architecture, etc
- New research topics: Robust query optimization, "learned" query optimization, approximate selectivity estimation...