CompSci 516 Database Systems

Lecture 7

Design Theory and Normalization

Instructor: Sudeepa Roy

Duke CS, Spring 2022

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Announcements (Thurs, 1/27)

- HW1 due next week 2/1 (Tues)
 - Please check out posts on Ed with updates and instructions
- Project proposal due next week 2/3 (Thurs)
 - 13 standard, 6 semi-standard, 2 open
 - consider semi-standard and open projects!
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Where are we now?

We learnt

- ✓ Relational Model and Query Languages
 - ✓ SQL, RA, RC
 - ✓ Postgres (DBMS)
 - ✓XML (overview)
 - HW1

Next

- Database Normalization
 - (for good schema design)

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Reading Material

- Database normalization
 - [RG] Chapter 19.1 to 19.5, 19.6.1, 19.8 (overview)
 - [GUW] Chapter 3

Acknowledgement:

- The following slides have been created adapting the instructor material of the [RG] book provided by the authors Dr. Ramakrishnan and Dr. Gehrke.
- Some slides have been adapted from slides by Profs. Magda Balazinska, Dan Suciu, and Jun Yang

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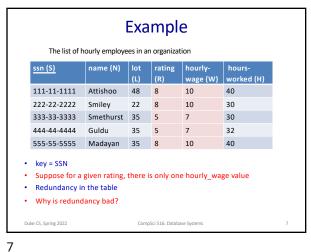
What will we learn?

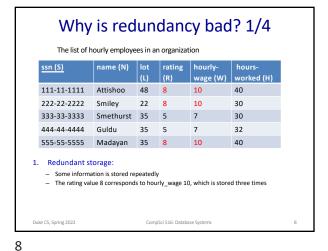
- What goes wrong if we have redundant info in a database?
- Why and how should you refine a schema?
- Functional Dependencies a new kind of integrity constraints (IC)
- Normal Forms
- · How to obtain those normal forms

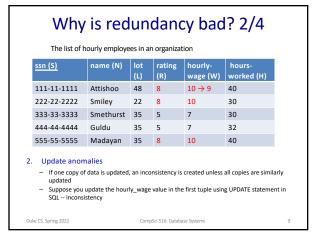
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Example The list of hourly employees in an organization ssn (S) 111-11-1111 Attishoo 40 222-22-2222 Smilev 22 8 10 30 333-33-3333 30 Smethurst 35 444-44-4444 Guldu 35 555-55-5555 Madayan 35 8 40 • key = SSN Duke CS, Spring 2022



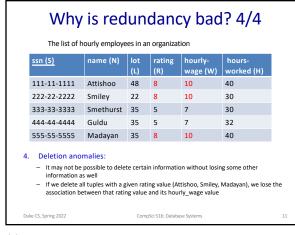




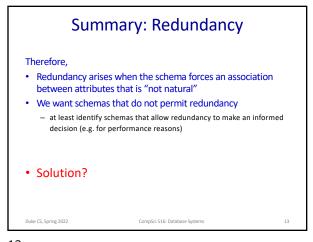
Why is redundancy bad? 3/4 The list of hourly employees in an organization ssn (S) lot 111-11-1111 10 40 222-22-2222 Smilev 22 10 30 333-33-3333 30 Smethurst 35 444-44-4444 32 555-55-5555 Madayan 35 40 Insertion anomalies: It may not be possible to store certain information unless some other, unrelated info is stored as well We cannot insert a tuple for an employee unless we know the hourly wage for the

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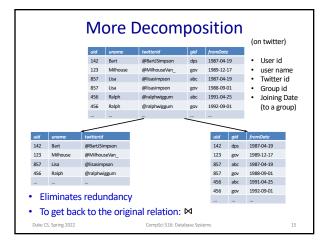


Nul	lls may	or /	may	y not	help
ssn (S)	name (N)	lot (L)	rating (R)	hourly- wage (W)	hours- worked (H)
111-11-1111	Attishoo	48	8	10	40
222-22-2222	Smiley	22	8	10	30
333-33-3333	Smethurst	35	5	7	30
444-44-4444	Guldu	35	5	7	32
555-55-5555	Madayan	35	8	10	40
- but canno	sertion and a tuple with r	l delet null val ly_wag be null	tion and ue in the e for a ra	malies hourly_wago ting unless to for deletion	



Decomposition ssn (S) 111-11-1111 48 8 10 40 222-22-2222 Smiley 22 8 10 30 333-33-3333 Smethurst 35 5 30 444-44-4444 32 Guldu 555-55-5555 Madayan 35 8 40 111-11-1111 Attishoo 48 8 40 222-22-2222 Smiley 22 8 30 10 333-33-3333 30 Smethurst 35 444-44-4444 Guldu 35 32 555-55-5555 Madayan 35

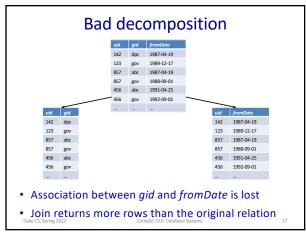
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Unnecessary decomposition 142 Bart @BartJSimpson 123 @MilhouseVan_ 857 Lisa Ralph @ralphwiggum 142 Bart 142 @BartJSimpson @MilhouseVan_ 857 Lisa 456 Ralph 456 @ralphwiggum Fine: join returns the original relation Unnecessary: no redundancy is removed; schema is more complicated (and uid is stored twice!)

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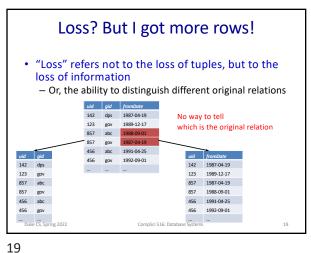
Lossless join decomposition

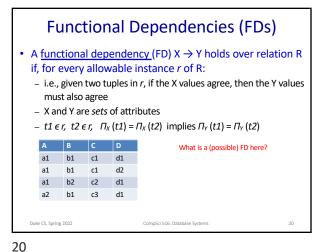
• Decompose relation R into relations S and T- $attrs(R) = attrs(S) \cup attrs(T)$ - $S = \pi_{attrs(S)}(R)$ - $T = \pi_{attrs(T)}(R)$ • The decomposition is a lossless join decomposition if, given known constraints such as FD's, we can guarantee that $R = S \bowtie T$ • $R \subseteq S \bowtie T$ or $R \supseteq S \bowtie T$?

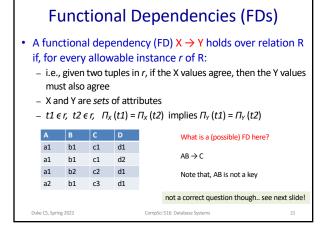
• Any decomposition gives $R \subseteq S \bowtie T$ (why?)

- A lossy decomposition is one with $R \subset S \bowtie T$

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Functional Dependencies (FDs)

- An FD is a statement about all allowable relations
 - Must be identified based on semantics of application
 - Given some allowable instance r1 of R, we can check if it violates some FD f, but we cannot tell if f holds over R
- K is a candidate key for R means that K → R
 - denoting R = all attributes of R too
 - However, $S \rightarrow R$ does not require S to be minimal
 - e.g., S can be a superkey

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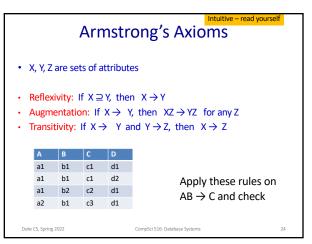
Example

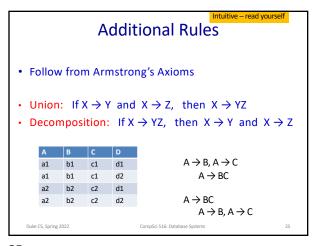
- Consider relation obtained from Hourly Emps:
 - Hourly_Emps (ssn, name, lot, rating, hourly_wage, hours_worked)
- Use first letter of attributes for simplicity: SNLRWH
 - Basically the set of attributes {S,N,L,R,W,H}
- FDs on Hourly Emps:

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- ssn is the key: S → SNLRWH
- rating determines hourly_wages: R → W

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Computing Attribute Closure

Algorithm:

- closure = X
- · Repeat until no change
 - if there is an FD U → V in F such that U ⊆ closure, then closure = closure U V
- Does F = {A \rightarrow B, B \rightarrow C, C D \rightarrow E } imply A \rightarrow F?
 - i.e, is $A \rightarrow E$ in the closure F+? Equivalently, is E in A+?

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Computing FD Closure

- An FD f is implied by a set of FDs F if f holds whenever all FDs in F hold.
- F*
- = closure of F is the set of all FDs that are implied by F
- To check if a given FD X → Y is in the closure of a set of FDs F
 - No need to compute F*
 - Compute attribute closure of X (denoted X*) wrt F:
 - Check if Y is in X+

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Detour - RATest

- https://ratest.cs.duke.edu/ratest/
- Requires net-id
- Quiz problems (i) & (j)

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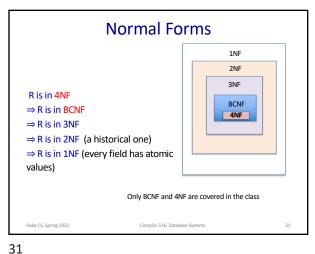
Normal Forms

- What are the problems with decomposition?
 - Lossless joins (soon)
 - Performance issues -- decomposition may both
 - help performance (for updates, some queries accessing part of data),
 or
 - hurt performance (new joins may be needed for some queries)
- Given a schema, how to decide whether any schema refinement is needed at all?
 - If a relation is in a certain normal forms, it is known that certain kinds of problems are avoided/minimized
 - Helps us decide whether decomposing the relation is something we want to do

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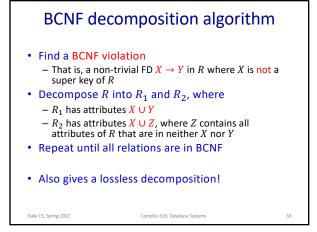
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Boyce-Codd Normal Form (BCNF) Relation R with FDs F is in BCNF if, for all X → A in F - A ∈ X (called a trivial FD), or - X contains a key for R · i.e., X is a superkey Intuitive idea: → B: Several tuples could have the same A value, and if so, they'll all have the same B value – redundancy – decomposition may be needed if A is not a if there is any non-key dependency, e.g. $A \rightarrow B$, decompose! Duke CS, Spring 2022 CompSci 516: Database Systems

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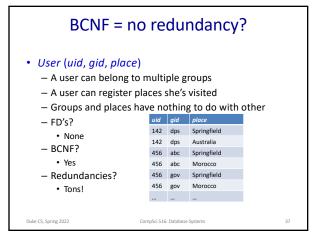
BCNF decomposition example - 1 uid → uname, twitterid twitterid → uid $\textit{uid}, \textit{gid} \rightarrow \textit{fromDate}$ UserJoinsGroup (uid, uname, twitterid, gid, fromDate) BCNF violation: *uid* → *uname*, *twitterid* Member (uid, gid, fromDate) User (uid, uname, twitterid) uid, $gid \rightarrow fromDate$ $uid \rightarrow uname$, twitterid twitterid → uid **BCNF BCNF** Duke CS, Spring 2022 CompSci 516: Database Systems

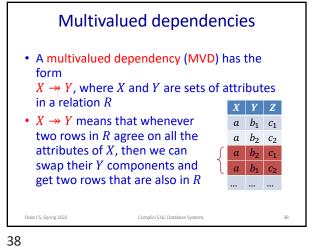
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BCNF decomposition example - 2 $uid \rightarrow uname$, twitteridtwitterid → uid $\textit{uid, gid} \rightarrow \textit{fromDate}$ UserJoinsGroup (uid, uname, twitterid, gid, fromDate) BCNF violation: *twitterid* → *uid* apply Armstrong's UserId (twitterid, uid) UserJoinsGroup' (twitterid, uname, gid, fromDate) $twitterid \rightarrow uname$ $twitterid, gid \mathop{\rightarrow} from \textit{Date}$ BCNF violation: *twitterid* → *uname* UserName (twitterid, uname) Member (twitterid, gid, fromDate) **BCNF**

BCNF decomposition example - 3 CSJDPQV, key C, $F = \{JP \rightarrow C, SD \rightarrow P, J \rightarrow S\}$ To deal with SD → P, decompose into SDP, CSJDQV. – To deal with J \rightarrow S, decompose CSJDQV into JS and CJDQV Is JP → C a violation of BCNF? - No · Note: - several dependencies may cause violation of BCNF - The order in which we pick them may lead to very different sets of there may be multiple correct decompositions (can pick J → S first) Duke CS, Spring 2022

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WVD examples User (uid, gid, place) uid → gid uid → place — Intuition: given uid, attributes gid and place are "independent" uid, gid → place — Trivial: LHS ∪ RHS = all attributes of R uid, gid → uid — Trivial: LHS ⊇ RHS

Complete MVD + FD rules

• FD reflexivity, augmentation, and transitivity
• MVD complementation: If $X \to Y$, then $X \to attrs(R) - X - Y$ • MVD augmentation: If $X \to Y$ and $Y \subseteq W$, then $XW \to YV$ • MVD transitivity: If $X \to Y$ and $Y \to Z$, then $X \to Z - Y$ • Replication (FD is MVD): If $X \to Y$ then $X \to Y$ • Coalescence: If $X \to Y$ and $X \to Y$ • Coalescence: If $X \to Y$ and $X \to Y$ • Coalescence: If $X \to Y$ and $X \to Y$ • Coalescence: If $X \to Y$ and $X \to Y$ • Coalescence: If $X \to Y$ and $Y \to Y$

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An elegant solution: "chase"

• Given a set of FD's and MVD's \mathcal{D} , does another dependency d (FD or MVD) follow from \mathcal{D} ?

• Procedure

• Start with the premise of d, and treat them as "seed" tuples in a relation

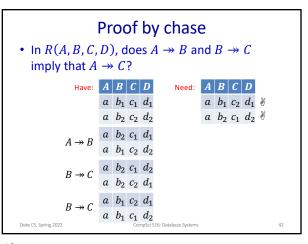
• Apply the given dependencies in \mathcal{D} repeatedly

• If we apply an FD, we infer equality of two symbols

• If we apply an MVD, we infer more tuples

• If we infer the conclusion of d, we have a proof

• Otherwise, if nothing more can be inferred, we have a counterexample



Another proof by chase

• In R(A, B, C, D), does $A \rightarrow B$ and $B \rightarrow C$ imply that $A \rightarrow C$?

Have: A B C D $a b_1 c_1 d_1$ $a b_2 c_3 d_3$

a b_2 c_2 d_2

 $A \rightarrow B$ $b_1 = b_2$ $B \rightarrow C$ $c_1 = c_2$

In general, with both MVD's and FD's, chase can generate both new tuples and new equalities

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Counterexample by chase

In R(A,B,C,D), does A → BC and CD → B imply that A → B?



 $b_1 = b_2 \,$

 $A \rightarrow BC \quad \begin{array}{c} a & b_2 & c_2 & d_1 \\ a & b_1 & c_1 & d_2 \end{array}$

Counterexample!

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4NF

- A relation R is in Fourth Normal Form (4NF) if

 - That is, all FD's and MVD's follow from "key → other attributes" (i.e., no MVD's and no FD's besides key functional dependencies)
- 4NF is stronger than BCNF
 - Because every FD is also a MVD

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4NF decomposition algorithm

- Find a 4NF violation
 - A non-trivial MVD $X \rightarrow Y$ in R where X is not a superkey
- Decompose R into R_1 and R_2 , where
 - $-R_1$ has attributes $X \cup Y$
 - $-R_2$ has attributes $X \cup Z$ (where Z contains R attributes not in X or Y)
- · Repeat until all relations are in 4NF
- Almost identical to BCNF decomposition algorithm
- Any decomposition on a 4NF violation is lossless

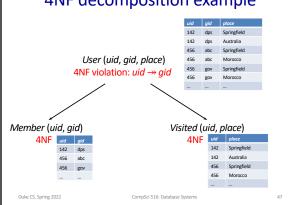
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4NF decomposition example



Other kinds of dependencies and normal forms

- Dependency preserving decompositions
- Join dependencies
- Inclusion dependencies
- 5NF, 3NF, 2NF
- See book if interested (not covered in class)

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Summary

- Philosophy behind BCNF, 4NF: Data should depend on the key, the whole key, and nothing but the key!
- You could have multiple keys though
 Redundancy is not desired typically
- - not always, mainly due to performance reasons
- Functional/multivalued dependencies capture redundancy
 Decompositions eliminate dependencies
 Normal forms

- Guarantees certain non-redundancy
 BCNF, and 4NF
- Lossless join
- How to decompose into BCNF, 4NF
- Chase

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